## Divide 4-digits by 1-digit

## Reasoning and Problem Solving

| Jack is calculating 2,240 $\div 7$ |  |
| :--- | :--- |
| He says you can't do it because 7 is <br> larger than all of the digits in the <br> number. | Jack is incorrect. <br> You can exchange <br> Do you agree with Jack? <br> Explain your answer. <br> You can't make a <br> group of 7 <br> thousands out of 2 <br> thousand, but you <br> can make groups <br> of 7 hundreds out <br> of 22 hundreds. <br> The answer is 320 |

## Spot the Mistake

Explain and correct the working.


## Divide with Remainders

## Reasoning and Problem Solving



| Always, Sometimes, |  |
| :---: | :---: |
| A three-digit number made of consecutive descending digits divided by the next descending digit always has a remainder of 1 | $\begin{aligned} & 432 \div 1=432 r 0 \\ & 543 \div 2=271 r 1 \\ & 654 \div 3=218 r_{0} \\ & 765 \div 4=191 r 1 \\ & 876 \div 5=175 r 1 \\ & 987 \div 6=164 r^{2} \end{aligned}$ |
| How many possible examples can you find? |  |

## Year 6| Autumn Term | Week 3 to 7 - Number: Four Operations

## Short Division

## Reasoning and Problem Solving

| Find the missing digits. | $\frac{041: 4: r 3}{4 \longdiv { 1 \vdots : 5 9 }}$ |
| :---: | :---: |
|  |  |
|  |  |
| Here are two calculations. | $\begin{aligned} & 396 \div 11=36 \\ & 832 \div 13=64 \\ & 64-36=28 \end{aligned}$ |
| $A=396 \div 11$ |  |
| $B=832 \div 13$ |  |
| Find the difference between $A$ and $B$. |  |


| Work out the value of $C$. <br> (The bar models are not drawn to scale) |  |  | $\begin{aligned} & 4,950 \div 3= \\ & 1,650 \end{aligned}$ |
| :---: | :---: | :---: | :---: |
| 4,950 |  |  | $1,650 \div 3=550$ |
| A | A | A | $550 \div 5=110$ |
| A |  |  |  |
| B | B | B |  |
| B |  |  |  |
| C | C | C\|c| |  |

## Year 6 | Autumn Term | Week 3 to 7 - Number: Four Operations

## Division using Factors

## Reasoning and Problem Solving

| Calculate: <br> - $1,248 \div 48$ <br> - $1,248 \div 24$ <br> - $1,248 \div 12$ <br> What did you do each time? What was your strategy? <br> What do you notice? Why? | 26 <br> 52 <br> 104 <br> Children should recognise that when the dividend is halved, the answer (quotient) is doubled. |
| :---: | :---: |
| Tommy says, <br> To calculate $4,320 \div 15$ <br> I will first divide 4,320 by 5 then divide the answer by 10 <br> Do you agree? <br> Explain why. | Tommy is wrong: he has partitioned 15 when he should have used factor pairs. He could have used factor pairs 5 and 3 and divided by 5 then 3 (or 3 then 5). |

Class 6 are calculating $7,848 \div 24 \quad 10$ and 14 is incorrect because
The children decide which factor pairs to use. Here are some of their suggestions:

- 2 and 12
- 1 and 24
- 4 and 6
- 10 and 14

Which will not give them the correct answer? Why?

Use the correct factor pairs to calculate the answer.
Is the answer the same each time?
Which factor pair would be the least efficient to use? Why?
they are not
factors of 24 (to get 10 and 14, 24
has been
partitioned).
The correct
answer is 327
Children should get the same answer using all 3 factor pairs methods.

Using the factor pair of 1 and 24 is the least efficient.

## Year $6 \mid$ Autumn Term | Week 3 to 7 - Number: Four Operations

## Long Division (1)

## Reasoning and Problem Solving

| Odd One Out | O92 $\div 24=33$ so <br> this is the odd one <br> out ta the other <br> two give an <br> answer of 32 |
| :--- | :--- |
| Which is the odd one out? |  |
| Explain your answer. |  |
| $\qquad$$512 \div 16$ <br> $672 \div 21$ <br> $792 \div 24$ |  |

Spot the Mistake
$855 \div 15=$

|  |  | 0 | 5 | 1 | 0 |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | 5 | 8 | 5 | 5 |  |  |
|  | - | 7 | 5 |  | $(\times 4)$ |  |
|  |  | 1 | 0 | 5 |  |  |
|  | - | 1 | 0 | 5 |  | $(\times 10)$ |
|  |  |  |  | 0 |  |  |

The mistake is that $105 \div 15$ is not equal to 10
$105 \div 15=7$ so the answer to the calculation is 57

